# Changing the Size and Scale of the Window MathPrintView

#### **Objectives:**

- Understand what scale means
- Adjust the x-axis size and scale
- Adjust the y-axis size and scale

#### **Understand what scale means**

Scale is the distance between tick marks on an axis.

The scale on the x-axis (Xscl) can be different from the scale on the y-axis (Yscl), if needed.

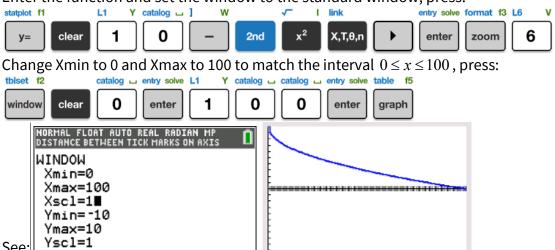
**PRO TIP:** The scale is often a personal choice. Choose so that you can see and use the graph!

### Adjust the x-axis size and scale

**Example 1:** Graph  $y = 10 - \sqrt{x}$  for  $0 \le x \le 100$  three times, with scale

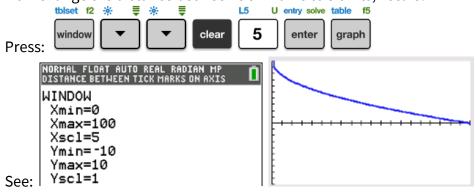
- a) Xscl=1,
- b) Xscl=5, and
- c) Xscl=10.

Enter the function and set the window to the standard window, press:



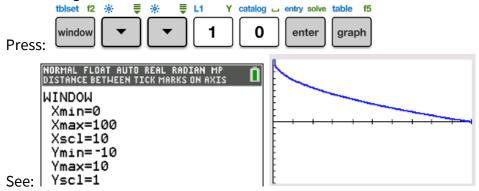
**Notice:** There are 100 tick marks on the x-axis, one unit apart. Using this scale, the x-axis is a fuzzy mess, so we cannot identify x-values easily.  $\odot$ 

Now change the distance between tick marks to 5 units, Xscl=5.



**Notice:** There are 20 tick marks, five units apart. We could count by 5s by pointing with a pencil.

Now change the distance between tick marks to 10 units, Xscl=10.



Notice: There are 10 tick marks, 10 units apart. We could count by 10s by pointing with a fingertip.

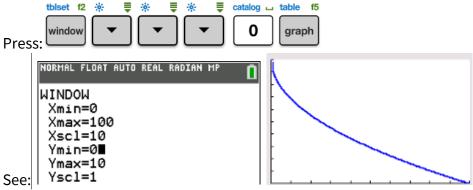
## Adjust the y-axis size and scale

**CAUTION:** Example 2 follows Example 1! If you skipped it, please go back and do it now.

**Example 2:** Graph  $y = 10 - \sqrt{x}$  for  $0 \le x \le 100$  and  $0 \le y \le 10$  twice, with scale

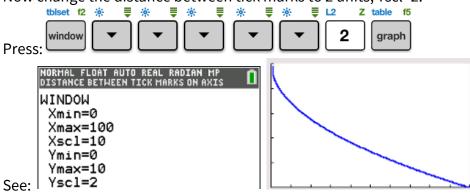
- a) Yscl=1, and
- b) Yscl=2.

Change Ymin to 0 to match the interval  $0 \le y \le 10$ , press:



**IMPORTANT:** Both axes have 10 tick marks, but they mean different distances! On the x-axis, tick marks are 10 units apart, but on the y-axis, tick marks are 1 unit apart!

Now change the distance between tick marks to 2 units, Yscl=2.



#### Try It!

Graph and adjust window as needed.

1) 
$$y = x^2 - 15$$

2) 
$$y = |x - 14|$$

#### **Example Answers**

**PRO TIP:** The scale is often a personal choice. The answers below are not the only useful values!

1)  $y = x^2 - 15$  is a parabola with vertex at (0, -15).

**Xmin** = -10, **Xmax** = 10, **Xscl** = 1, **Ymin** = less than -15, **Ymax** = 10, **Yscl** = 2-5



2) y = |x - 14| is a V-shape with x-int at (14,0). **Xmin** = close to but less than 0, **Xmax** = greater than 15,

